



Name: \_\_\_\_\_

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## Learning Objectives

- Identify number patterns and determine whether a sequence is arithmetic
- Find the common difference of an arithmetic sequence
- Apply the nth-term formula to find specific terms of an arithmetic sequence
- Compute partial sums (arithmetic series) using the appropriate formula

Solve each problem, showing the common difference, formula, and final value where applicable.

### 1. Identify the next two terms in the number pattern.

3, 7, 11, 15, ...

Answer: \_\_\_\_\_

### 2. Find the common difference of the arithmetic sequence.

5, 12, 19, 26, ...

Answer: \_\_\_\_\_

### 3. Find the common difference of the arithmetic sequence.

20, 14, 8, 2, ...

Answer: \_\_\_\_\_

### 4. Write the explicit formula for the nth term of the arithmetic sequence with first term 4 and common difference 5.

$a_1 = 4, d = 5$

Answer: \_\_\_\_\_

### 5. Find the 21st term of the arithmetic sequence.

2, 5, 8, 11, ...

Answer: \_\_\_\_\_

### 6. Find the 93rd term of the arithmetic sequence.

7, 10, 13, 16, ...

Answer: \_\_\_\_\_

### 7. Find the 50th term of the arithmetic sequence.

100, 96, 92, 88, ...

Answer: \_\_\_\_\_



**8. Determine which term of the sequence equals 100.**

4, 7, 10, 13, ...

Answer: \_\_\_\_\_

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**9. Find the sum of the first 20 terms of the arithmetic series.**

3 + 7 + 11 + 15 + ...

Answer: \_\_\_\_\_

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**10. Find the sum of the first 15 terms of the arithmetic series with first term 6 and common difference 2.**

$a_1 = 6, d = 2, n = 15$

Answer: \_\_\_\_\_





This worksheet mirrors Part 1 of the lecture: recognizing number patterns, finding the common difference  $d$ , using the  $n$ th-term formula  $a_n = a_1 + (n-1)d$ , and finding requested terms such as the 21st and 93rd. A few problems extend to the arithmetic series sum formula to round out the topic.

### Solutions

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1. Identify the next two terms in the number pattern.

3, 7, 11, 15, ...

→ Subtract consecutive terms to see the pattern increases by four each time.

→ Add four to fifteen to get nineteen, then add four again to get twenty-three.

**Answer:** 19, 23

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2. Find the common difference of the arithmetic sequence.

5, 12, 19, 26, ...

→ Subtract the first term from the second term: twelve minus five equals seven.

→ Verify with another pair such as nineteen minus twelve, which also equals seven.

**Answer:**  $d = 7$

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3. Find the common difference of the arithmetic sequence.

20, 14, 8, 2, ...

→ Subtract the first term from the second term: fourteen minus twenty equals negative six.

→ Check another pair such as eight minus fourteen, which also equals negative six.

**Answer:**  $d = -6$

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4. Write the explicit formula for the  $n$ th term of the arithmetic sequence with first term 4 and common difference 5.

$a_1 = 4$ ,  $d = 5$

→ Start with the general  $n$ th-term formula a sub  $n$  equals a sub one plus the quantity  $n$  minus one times  $d$ .

→ Substitute four for a sub one and five for  $d$ , then distribute and simplify to get five  $n$  minus one.

**Answer:**  $a_n = 5n - 1$

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5. Find the 21st term of the arithmetic sequence.

2, 5, 8, 11, ...

→ Identify a sub one equals two and the common difference  $d$  equals three.

→ Apply the formula a sub twenty-one equals two plus twenty times three to get sixty-two.

**Answer:**  $a_{21} = 62$

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6. Find the 93rd term of the arithmetic sequence.

7, 10, 13, 16, ...

→ Identify a sub one equals seven and common difference  $d$  equals three.

→ Use a sub ninety-three equals seven plus ninety-two times three, which gives two hundred eighty-three.

**Answer:**  $a_{93} = 283$

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7. Find the 50th term of the arithmetic sequence.

100, 96, 92, 88, ...

→ Identify a sub one equals one hundred and common difference  $d$  equals negative four.

→ Apply a sub fifty equals one hundred plus forty-nine times negative four to get negative ninety-six.

**Answer:**  $a_{50} = -96$

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8. Determine which term of the sequence equals 100.

4, 7, 10, 13, ...

→ Set the  $n$ th-term equation equal to one hundred: four plus the quantity  $n$  minus one times three equals one hundred.

→ Solve for  $n$ : subtract four, divide by three, then add one to obtain  $n$  equals thirty-three.

**Answer:**  $n = 33$

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9. Find the sum of the first 20 terms of the arithmetic series.

$3 + 7 + 11 + 15 + \dots$

→ Identify a sub one equals three, common difference  $d$  equals four, and number of terms  $n$  equals twenty.

→ Find the twentieth term, then apply  $S$  sub  $n$  equals  $n$  divided by two times the sum of the first and last terms to get eight hundred twenty.

**Answer:**  $S_{20} = 820$

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10. Find the sum of the first 15 terms of the arithmetic series with first term 6 and common difference 2.

$a_1 = 6, d = 2, n = 15$

→ Compute the fifteenth term: six plus fourteen times two equals thirty-four.

→ Apply  $S$  sub fifteen equals fifteen divided by two times the sum of six and thirty-four, which equals three hundred.

**Answer:**  $S_{15} = 300$

